

Audio feature extraction for sequential learning in video content analysis

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Uni**S**

On the recent performance of French football

How did Zidane manage to
come back to fitness????????

On the recent performance of French football



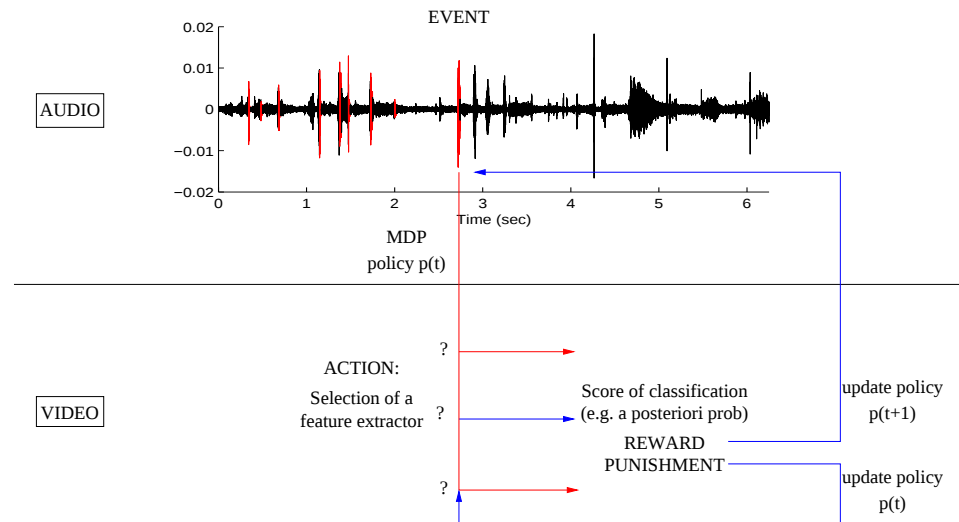
Sequential video analysis

Sequential Learning

- Sequential framework allows for on-line learning (intuitive)
- Context provides rules for sequences of events (coarse to fine)

Audio/Video cooperation

- Audio data easier to handle
- Audio-based event detection / Video-based event isolation
- grounded theory available for 1D signal detection (Optimality of CUSUM test)



Fine to coarse approach

Outline of the talk

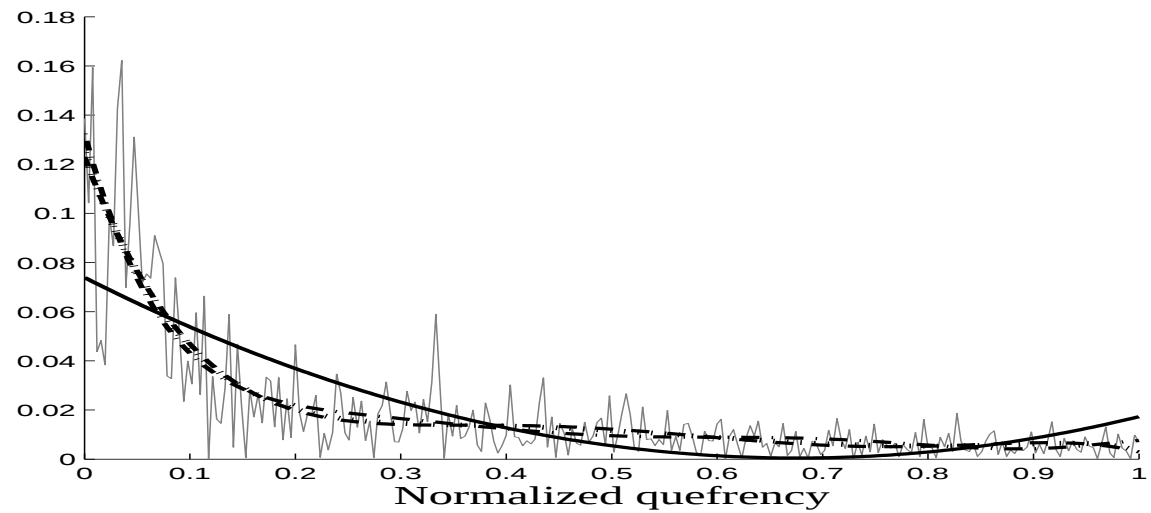
- Feature extraction
 - Proposed features
 - Experimental setup: Racket hit detection in tennis video clip
- Assessment of sequential learning
 - Two issues:
 - * Is the dimension of the feature space critical (curse of dimensionality)?
 - * Is there a need for adaptivity (non-stationarity)?
 - Relevance Feedback framework
 - Average Normalized Modified Retrieval Rank (ANMRR)

Proposed features

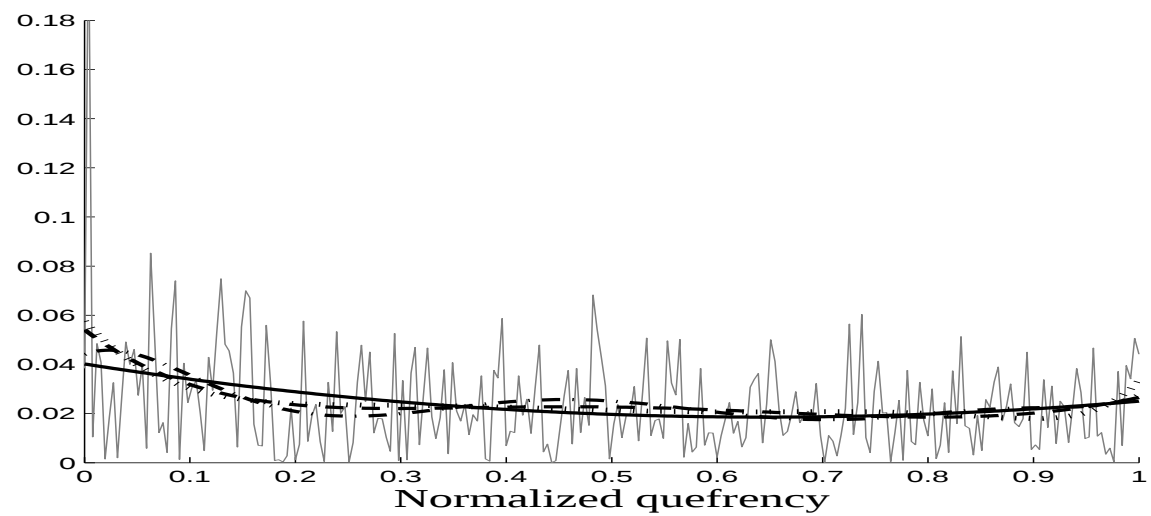
- Spectral Domain
 - Spectral Subband Coefficients
 - First Cepstral Coefficients (Spectral smoothing)
- Spectral smoothing?
 - Relevant for characterizing the resonant system
 - Possible overlapping of the high-frequency and low-frequency bands
 - number of coefficients is constrained by the size of the dataset
- Cepstral Domain
 - Cepstral Subband Coefficients
 - Cepstral Regression Coefficients

Cepstral Regression

racket hits



Crowd applauses



Recursive computation of the RC's

1D signal model:

$$c = Q_{(p)}a_{(p)} + \epsilon$$

Estimation of the regression coefficients:

$$\hat{a}_{(p)} = R_{(p)}^{-1}Q_{(p)}^T c$$

where $R_{(p)} = Q_{(p)}^T Q_{(p)}$ and $u_{(p)} = Q_{(p)}^T c$

Using Schur decomposition:

$$\hat{a}_{(p)} = \begin{bmatrix} I + R_{(p-1)}^{-1}r_p s_{(p)}^{-1}r_p^T & -R_{(p-1)}^{-1}r_p s_{(p)}^{-1} \\ -s_{(p)}^{-1}r_p^T & s_{(p)}^{-1} \end{bmatrix} \begin{bmatrix} \hat{a}_{(p-1)} \\ u_p \end{bmatrix}$$

where $s_{(p)}^{-1}$ is the (scalar) Schur complement of $R_{(p-1)}$.

Recursive computation is appealing for a sequential scheme.

Experimental setup

- Dataset
 - 2nd and 3rd game of the 2003 Australia open final game
 - Synthetic surface; Indoor
 - type of events: racket hits; voice (player grunts, umpire, broadcaster); applause
 - events: 20ms time signal sequentially detected with GCUSUM [MLSP'06]
- Aim: identifying the racket hits (isolation)
- $1 - x$ class problem
 - Training set (2nd game): 203 detected events including 20 racket hits
 - Tested set (3rd game): 556 detected events including 73 racket hits

Bias Discriminant Analysis (BDA)

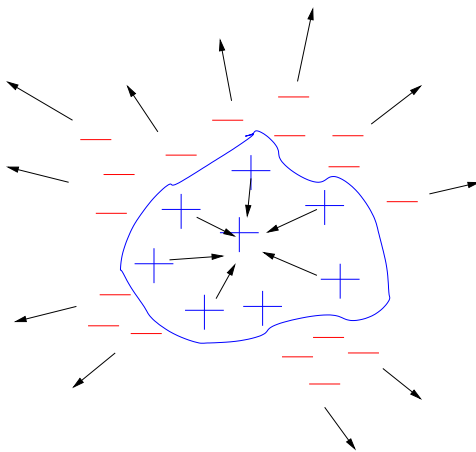
Modification of Linear Discriminant Analysis designed to address $1 - x$ class problem [Zhou et al/ 01].

Between scatter matrix S_b and within scatter matrix S_w :

$$S_b = \sum_{\mathcal{R}} (a^k - m_r)(a^k - m_r)^T,$$

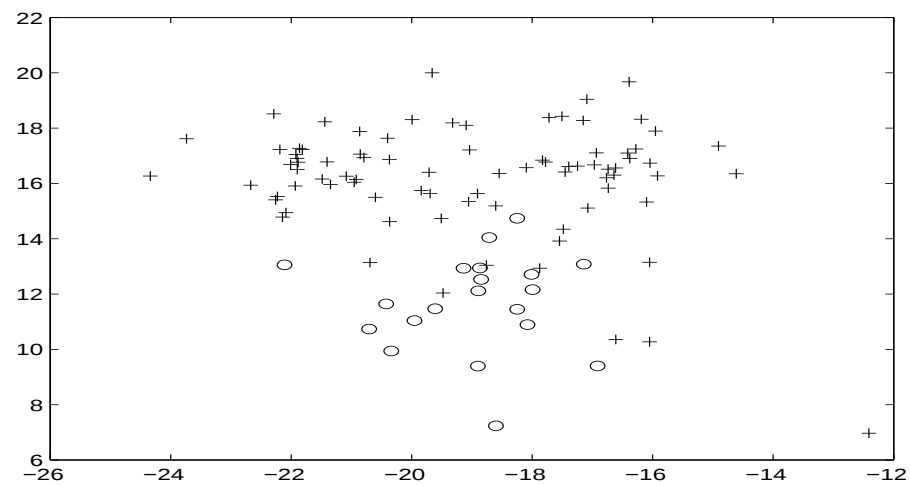
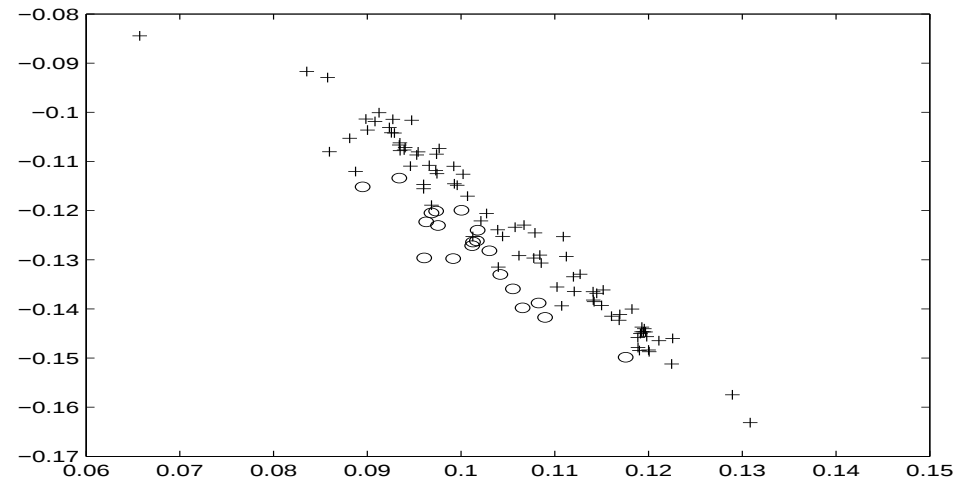
$$S_w = \sum_{\overline{\mathcal{R}}} (a^k - m_r)(a^k - m_r)^T,$$

- a^k : k th feature
- $\mathcal{R}$: set of positive features
- $\overline{\mathcal{R}}$: set of negative features
- m_r : mean of positive features



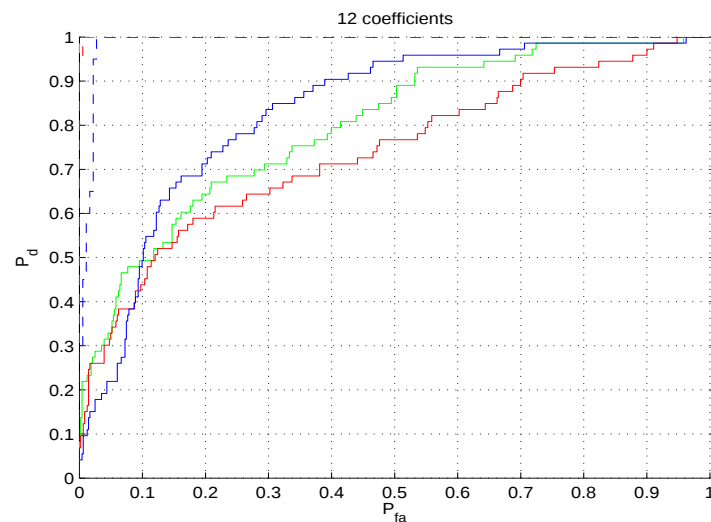
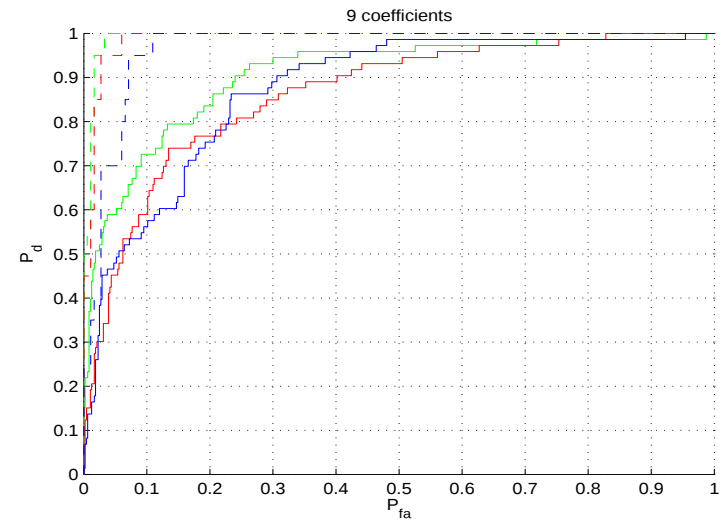
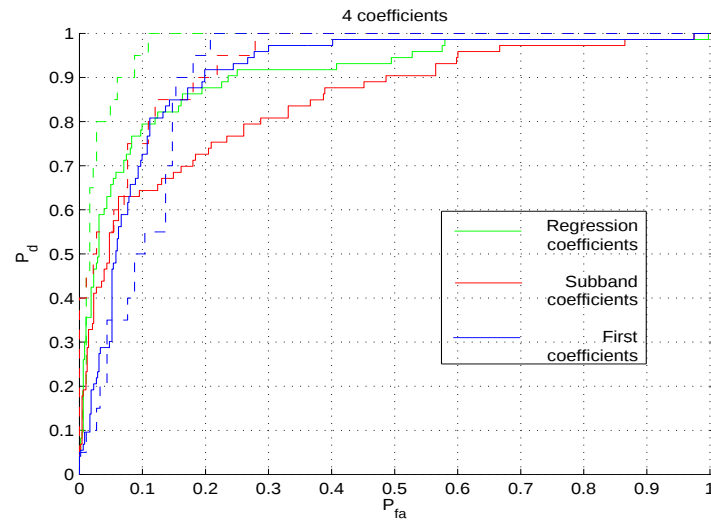
BDA tends to cluster $\mathcal{R}$ while spreading $\overline{\mathcal{R}}$

Bias Discriminant Transform



Fixed sample size: Results

Detection by thresholding the Likelihood of the positive cluster (Gaussian assump.)



Detection of training set (dashed line):

- upper bound on detection
- index of characterization of training set

perf. on training set increases with # coeff. while perf. on tested set decreases

Evolution of the positive cluster with time

Relevance Feedback Experiment

- aim: to evaluate the need for adaptive scheme for identification from audio features
- user play the role of video agent
- recursive data retrieval scheme (MPEG-7 style)
 1. current events: retrieval of positive events between the m_c th and $(m_c + T)$ th events
 2. the M events including M_r positive events (racket hits) previous to the m_c th event are used to compute the BD transform
 3. BDA and ranking is applied to the T current events
 4. go to the $m_c + T$ event and repeat from 1.

Assessment of the Ranking performances

Dataset of size N with N_r positive instances in the first T ranks (top T).

- Average Normalized Modified Retrieval Rank (ANMRR) [Müller et al.01], [Manjunath et al.01]:

$$\begin{aligned}\tilde{r} &= \frac{1}{S_{max} - S_{min}} \left(\sum_{k=1}^{N_r} r_k - S_{min} \right), \\ \tilde{r} &= \frac{1}{(T - N_r)N_r} \left(\sum_{k=1}^{N_r} r_k - \frac{N_r(N_r + 1)}{2} \right).\end{aligned}$$

- Properties

- Minimum ANMRR (best case)

$$\tilde{r}_{\min} = 0.$$

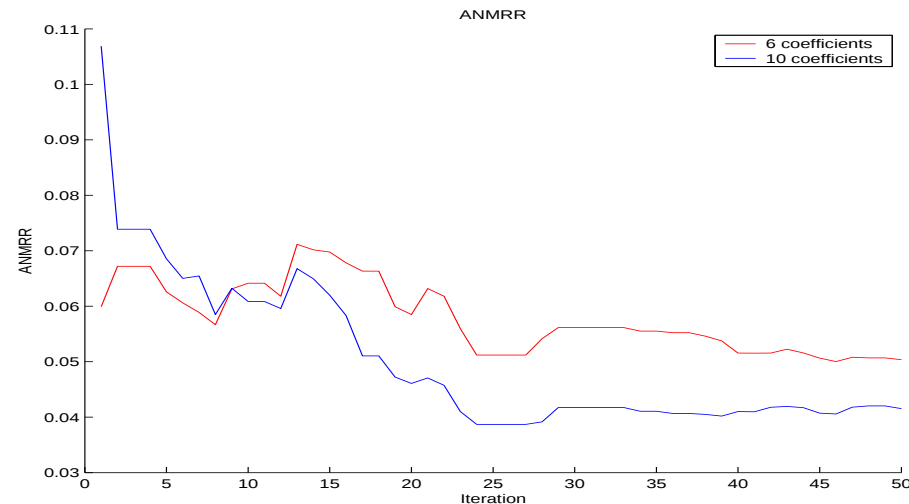
- Maximum ranking (worst case)

$$\tilde{r}_{\max} = 1.$$

- Expected value for a uniform random ranking

$$E\{\tilde{r}\} = 0.5.$$

Results



- Good overall performance of both features (i.e. $\tilde{r} < 0.5$)
- increasing trend of the performance of the sequential retrieval
- From iteration 9, the dimension of feature space is worth being incremented to 10 dimensions.

How reliable is the ANMRR?